Understanding "Understanding the Great Recession" Christiano, Eichenbaum & Trabant

Franck Portier

Ortigia Conference June 14, 2014



A masterpiece

- Impossible to summarize in 20mn
- If I had to write a referee report, I would ask zillions of questions about some details of the analysis ...
- ... and without doubt I would get at least two good answers for each of my questions.
- Let me not do it but rather raise 4 points
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Roadmap

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 Taken from some explorations I did with Paul Beaudry and that Giorgio knows well (more about this later)

Take the textbook New Phillips curve

$$\pi_t = \beta E_t \pi_{t+1} + \kappa \widetilde{y}_t + u_t$$

$$\pi_t = \frac{\kappa}{1 - \beta \rho} \widetilde{y}_t + u_t$$

- Assume that there are no cost-push shocks u
- Assume that HP filtered output well measures output gap
- Note: this holds for any monetary policy rule

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Table 1: Baseline calibration of the New Phillips Curve

β	σ	ϕ	α	θ	ϵ
0.99	1	1	1/3	2/3	6

- $\theta = \frac{2}{3}$ corresponds to a mean price duration of 3 quarters.
- ▶ $\rho = 0.85$ from HP filtered GDP series over the period 1947-2012.

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Figure 1: Predicted inflation with an AR(1) model for output gap

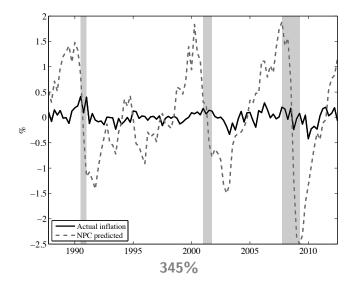


Figure 2: Predicted inflation with an AR(1) model, output gap = y - tfp

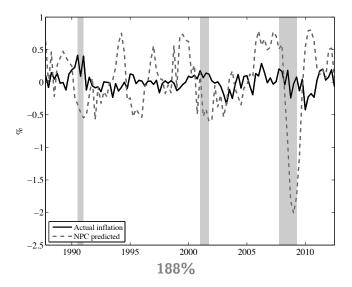
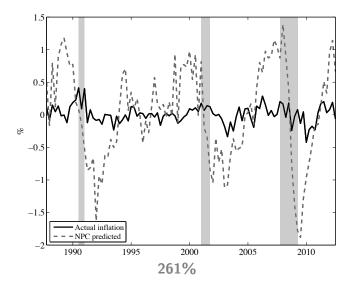


Figure 3: Predicted inflation with an AR(1) model, output gap = h



Take the textbook New Phillips curve

$$\pi_t = \beta E_t \pi_{t+1} + \kappa \widetilde{y}_t + u_t$$

Assume now that the output gap is AR(2) :

$$\widetilde{y}_t = \rho_1 \widetilde{y}_{t-1} + \rho_2 \widetilde{y}_{t-2} + \varepsilon_t$$

Solve to obtain

$$\pi_t = \frac{\kappa}{1 - \beta \rho_1 - \beta^2 \rho_2} \widetilde{y}_t + \frac{\kappa \beta \rho_2}{1 - \beta \rho_1 - \beta^2 \rho_2} \widetilde{y}_{t-1} + u_t$$

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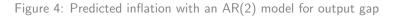
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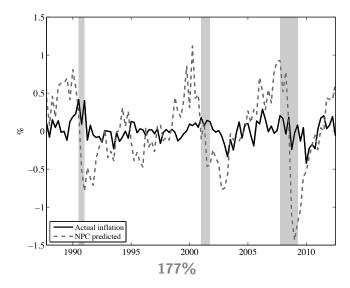
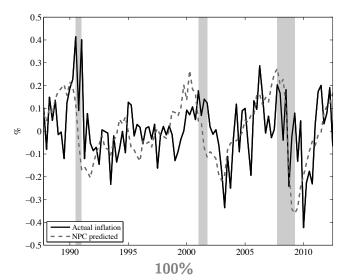


Figure 5: Predicted inflation with an $\mathsf{AR}(1)$ model for output gap and 7 quarters of price rigidity



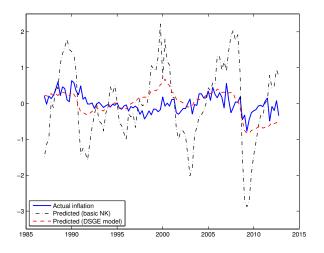
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Figure 6: Inflation in Giorgio's fully fledge model



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- (sorry if I am wrong, I should have asked Giorgio before)
- Is that reasonable?

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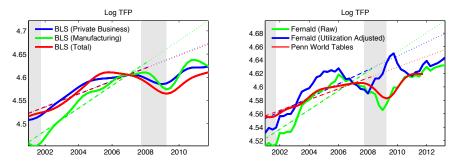
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- Is that what we see in the data?

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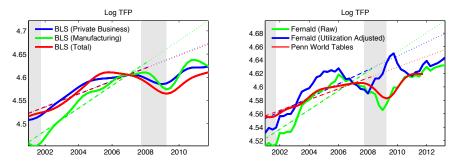
Figure 7: TFPs - This paper



"Note that, with one exception, (i) TFP is below its pre-2008 trend during the Great Recession, and (ii) it remains well below its pre-2008 trend all the way up to the end of our data set."

With one exception, TFP went down during the G.R.

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Is that convincing?

- Let me do an experiment
- Let me show 5 different objects and make a statement

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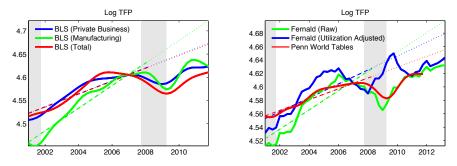






- "Note that, with one exception, humans are more that 2 meters tall."
- ▶ Google: 2 meters = 6.56167979 feet (6 feet 47/64 inches) ???

Figure 9: TFPs - This paper



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▶ We have to correcting TFP measurement for factor utilisation

- In a one factor (labor) world:
 - $\times Y = A \times L$
 - \times P = active population (assumed to be fixed)
 - × Shall we measure productivity as

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▶ There is no difference (in theory) with capital utilization:

- $\times \quad Y = AF(uK, L)$
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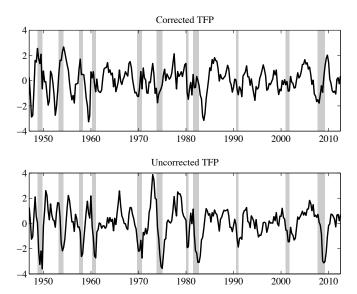
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Figure 10: Corrected and Uncorrected TFP



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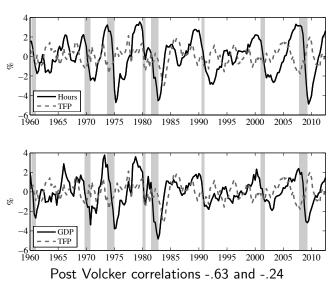


Figure 11: TFP, Output and Hours

Figure 12: TFP-GDP correlation

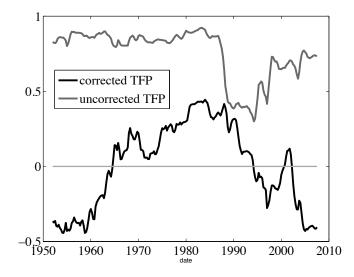


Figure 13: TFP-GDP correlation

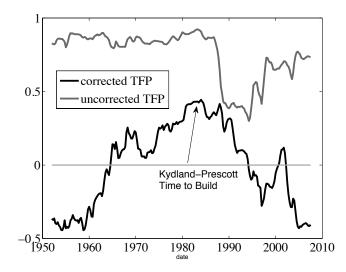
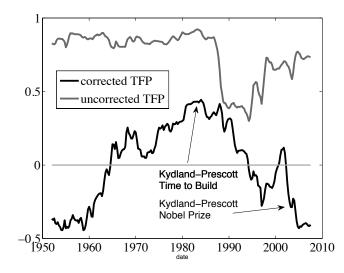


Figure 14: TFP-GDP correlation



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- \times perhaps
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- × manufacturing *vs* services
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 - A lot of η s are introduced to guarantee BGP
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►

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 - A lot of η s are introduced to guarantee BGP Х $C_t^H = \eta_t^H (1 - L_t)^{1 - \alpha_c} (L_t - l_t)^{\alpha_c} - \eta_t^L \mathcal{F}$ \times $Y_{it} = k_{it}^{\alpha} (z_t h_{it})^{1-\alpha} - \eta_t^{\phi} \phi$ X $\eta_{\star}^{\kappa}\kappa = J_t$ \times $U_t = \eta_t^D D_t + \widetilde{U}_t$ \times etc...
 - but they do have cyclical variations

$$\eta_t = (IST_{t-1}^{\gamma} TFP_{t-1})^{\theta} \eta_{t-1}^{1-\theta}$$

►

3. The Irruption of the $\eta{\,}^{\prime}{\rm s}$

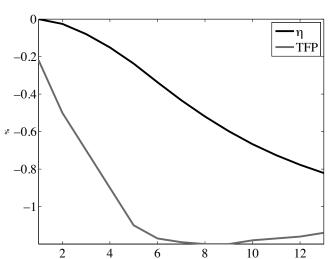


Figure 15: Cyclical variations of the $\eta {\rm s}$ for the TFP shock

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• The η s actually move quite a lot at high frequencies

It makes it difficult to isolate the effect of the 4 forcing processes

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Roadmap

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- 2. The cyclical movement of TFP
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- 4. The I dot

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- Two questions
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- \times $\;$ But I may not be aware of some other micro evidence

▶ Is that crucial?

- \times I need to work on it
- × What I know from a careful reading of Jaimovich and Rebelo "News" model is that it does (big time) in that model.
- \times Somer results are reversed if one replaces *I* dot adjustment costs by *K* dit adjustment costs
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To Conclude

► A masterpiece

