

Entry by Takeover: Auctions vs. Bilateral Negotiations

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 - In 2011 *Microsoft* acquired *Skype* and recently acquired the mobile division of *Nokia*

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 - In 1988 *Phillip Morris* entered the packaged-foods industry by acquiring *Kraft*
 - In 2011 *Microsoft* acquired *Skype* and recently acquired the mobile division of *Nokia*
- Similarly, firms can find it more convenient to enter a foreign market by taking over a local firm
 - Hennart and Park (1993): 36% of U.S. market entries by Japanese companies in 1981-89 took place by merger

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 - **bilateral bargaining** between the entrant and the target (private negotiations whose terms cannot be observed by outsiders)
- In a sample of 400 major U.S. takeovers in the 1990s:
 - 50% of the targets were auctioned among multiple bidders;
 - 50% negotiated with a single buyer (Boone and Mulherin, 2007)

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 - **takeover premia** (Molnar, 2002)
 - With bargaining, price is lower (for given target) because independent of externalities

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- Trade-off between target shareholders' profit (higher with auction) and consumers' surplus (higher with bargaining)

Related Literature

- 1 Auctions with downstream interaction among buyers
 - Jehiel and Moldovanu (2000), Das Varma (2002), Inderst and Wey (2004), Ding *et al.* (2013)
- 2 Direct entry vs. acquisition
 - Gilbert and Newbery (1992), McCardle and Viswanathan (1994)
- 3 Endogenous Mergers
 - Fridolfsson and Stennek (2005), Qiu and Zhou (2007), Nocke and Whinston (2010, 2013)
- 4 Takeover premia (corporate finance)
 - Roll (1986), Jensen (1986), Shleifer and Vishny (1990, 2003), Rhodes-Kropf and Viswanathan (2004), Malmendier and Tate (2008)

Outline

- 1 Model
- 2 Takeover by Bargaining
- 3 Takeover by Auction
- 4 Auctions vs. Bargaining

Model

- Cournot competition with homogeneous goods
- Firms $2, \dots, n$ have marginal cost $c_2 = \dots = c_n$
- Firm 1 has marginal cost $c_1 < c_2$ (no fixed cost)
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- Firm i 's profits:

$$\pi_n \left(c_i; \sum_{k \neq i} c_k \right) = \left(\frac{A - nc_i + \sum_{k \neq i} c_k}{n+1} \right)^2 \equiv \frac{\Phi_i^2}{(n+1)^2}$$

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- We assume that incumbents have no incentive to merge ex-ante (A and/or n large)

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- Costs and synergies are common knowledge
- Two different takeover procedures:
 - 1 **Bargaining** with take-it-or-leave-it offer by entrant
 - 2 **Ascending auction** between entrant and other incumbents

Timing

Period 1: E selects the takeover target

Period 2: Auction or bargaining for the target

Period 3: Market competition among the remaining firms

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(E can only select one target)

Efficient and Profit-Maximizing Targets

- Firm 2 is the **profit-maximizing target** iff E obtains a higher profit by taking over 2 rather than 1

$$\pi_n(c_2 - s_2; \cdot) > \pi_n(c_1 - s_1; \cdot) \Leftrightarrow s_2 - s_1 > \frac{n+1}{n}(c_2 - c_1)$$

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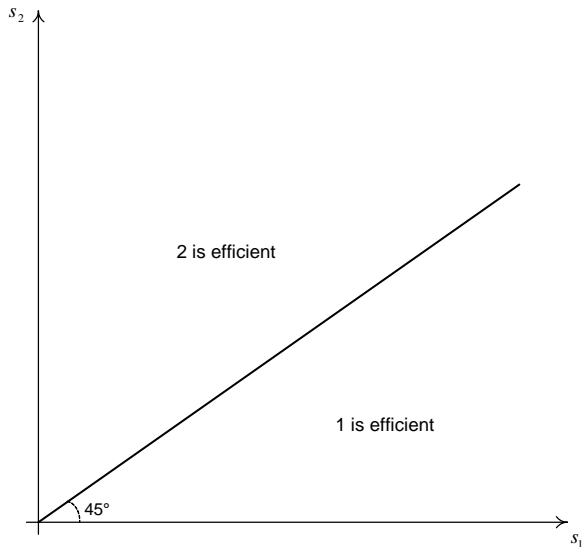
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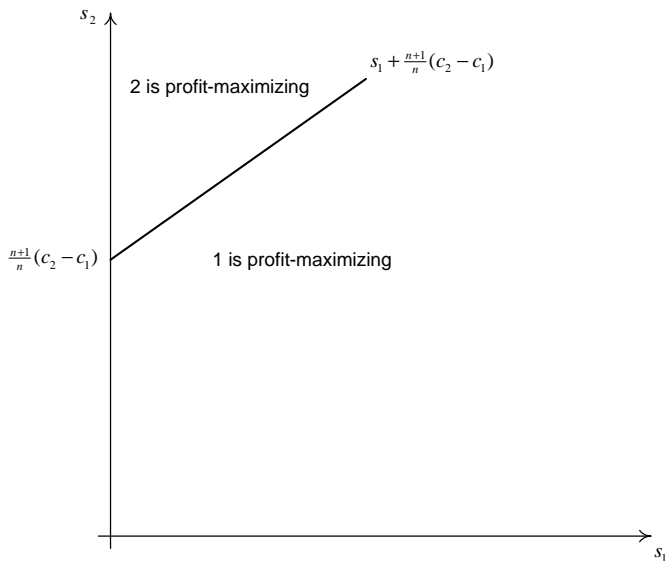
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- The **efficient target** is the firm with the strongest synergies (that maximizes consumers' surplus)

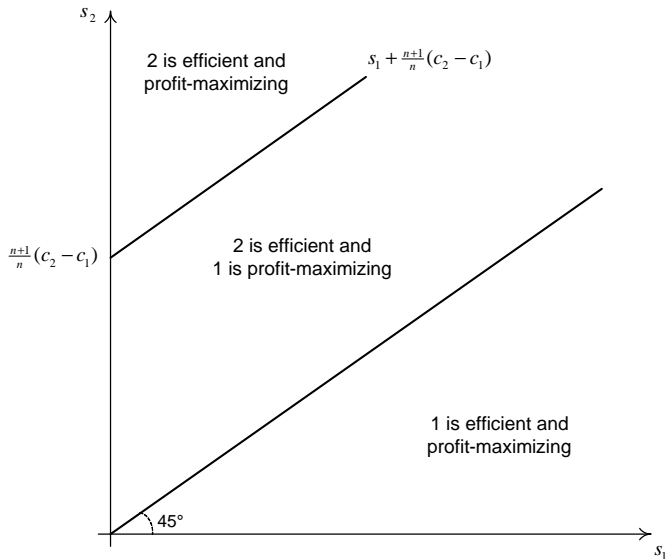
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Takeover by Bargaining

- With bargaining, takeover of firm i yields

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With bargaining, E takes over firm 1 rather than firm 2 if and only if

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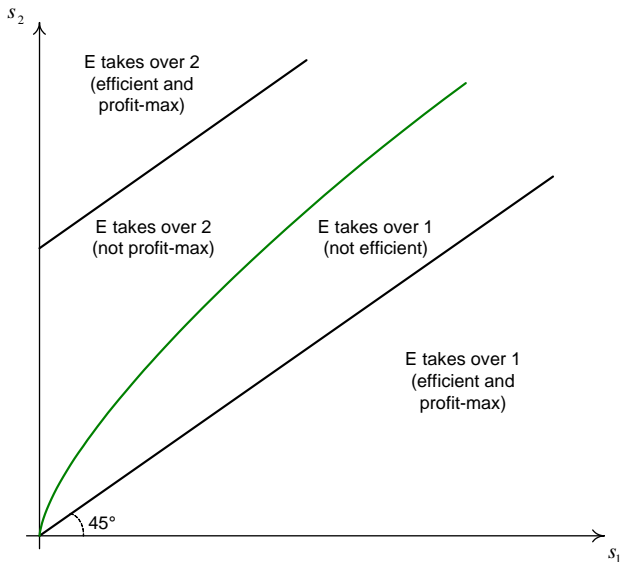
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- E takes over firm 2 if and only if $s_2 \gg s_1$

Takeover by Bargaining



Takeover by Auction

- In an auction for i , firm j 's *willingness to pay for blocking E and merging with i* is

$$v_j^i \equiv \underbrace{\pi_{n-1} \left(\min \{c_i, c_j\}; \sum_{k \neq i, j} c_k \right)}_{j\text{'s profit with merger}} - \underbrace{\pi_n \left(c_j; \sum_{k \neq j} c_k - s_i \right)}_{j\text{'s profit with entry}}$$

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- Two effects:
 - Profit increase if i and j merge

$$\pi_{n-1} \left(\min \{c_i, c_j\}; \sum_{k \neq i, j} c_k \right) - \pi_n \left(c_j; \sum_{k \neq j} c_k \right)$$

- Externality:** profit reduction if E enters

$$\pi_n \left(c_j; \sum_{k \neq j} c_k \right) - \pi_n \left(c_j; \sum_{k \neq j} c_k - s_i \right)$$

Incumbents' Bids

- Assume arbitrarily small probability that E drops out at a "low" price
(to avoid indifference and induce incumbents to bid)
- With externalities, bid may differ from willingness to pay
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(If firm 1 loses at v_1^2 , no other incumbent can win)
- In an auction for firm 1, all incumbents have willingness to pay v_2^1
 \Rightarrow In any pure-strategy equilibrium, one incumbent bids up to v_2^1

Auction Price

- In an auction, E pays the highest between other incumbents' bids and the reservation value

Lemma 1

To acquire firm $i \in \{1, 2\}$ in an auction, E pays:

- v_j^i if $s_j \geq \hat{s}_i$
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- High $s_i \Rightarrow$ high externality \Rightarrow high incumbent's bid

Takeover by Auction

Proposition 2

In an auction, E takes over 1 iff:

(i)

$$s_1^2 - s_2^2 > \frac{2}{n} (s_2 \Phi_2 - s_1 \Phi_1) \quad \text{when } s_1 \leq \hat{s}_1 \text{ and } s_2 \leq \hat{s}_2;$$

(ii)

$$s_1^2 - s_2^2 > \frac{2}{n} (s_2 \Phi_2 - s_1 \Phi_1) + \frac{s_2}{n^2} (s_2 - 2\Phi_1) - \frac{\Phi_2}{n^4} [\Phi_2 + n(2\Phi_1 - n\Phi_2)]$$

when $s_1 \leq \hat{s}_1$ and $s_2 > \hat{s}_2$;

(iii)

$$s_1^2 - s_2^2 > 2 \left(\frac{ns_2 + s_1}{n^2 + 1} \right) \Phi_2 - 2 \left(\frac{ns_1 + s_2}{n^2 + 1} \right) \Phi_1 \quad \text{when } s_1 > \hat{s}_1$$

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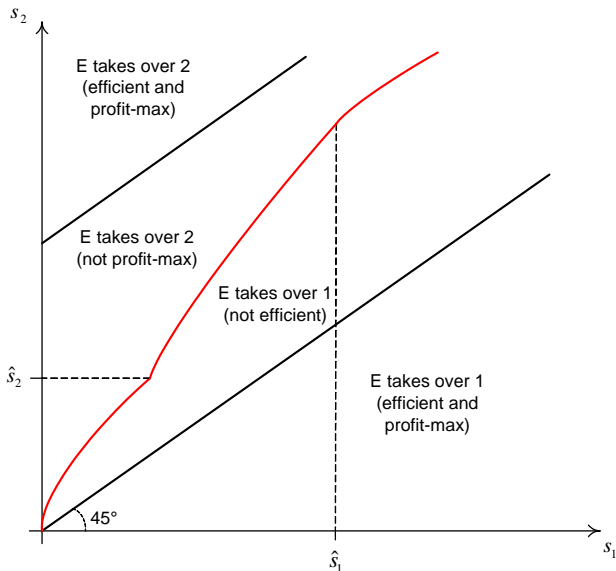
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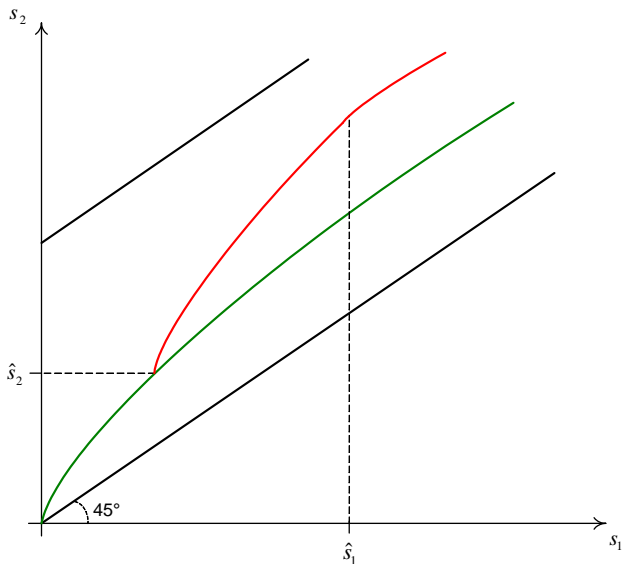
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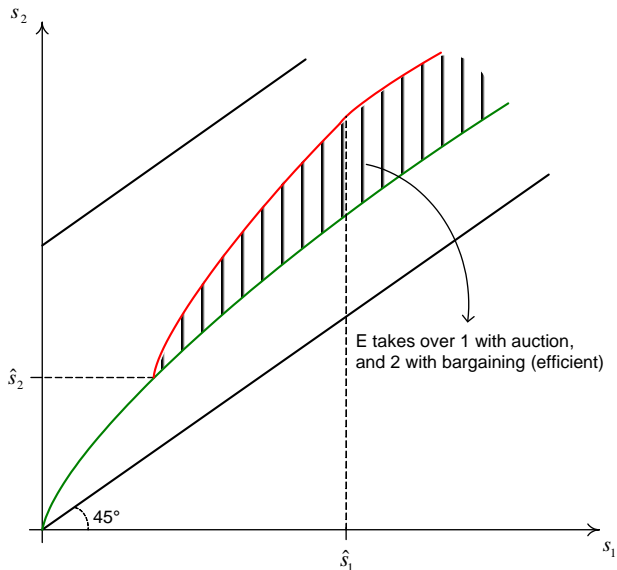
Takeover by Auction



Auctions vs. Bargaining



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Auctions vs. Bargaining

Proposition 3

- If a firm is profit-maximizing and efficient, E takes it over both with auction and with bargaining
- If 1 is profit-maximizing and 2 is efficient:
 - (i) E takes over 1 with auction and 2 with bargaining when:

$$(a) s_1 > \hat{s}_1 \text{ and}$$

$$\frac{2}{1+n^2} (\Phi_1 s_2 - \Phi_2 s_1) - \frac{2}{n(1+n^2)} (s_1 \Phi_1 - s_2 \Phi_2) > s_2^2 - s_1^2 - \frac{2}{n} (s_1 \Phi_1 - s_2 \Phi_2) > 0$$

$$(b) s_1 \leq \hat{s}_1 \text{ and}$$

$$\frac{s_2}{n^2} (2\Phi_1 - s_2) + \frac{\Phi_2}{n^4} [\Phi_2 + n(2\Phi_1 - n\Phi_2)] > s_2^2 - s_1^2 - \frac{2}{n} (s_1 \Phi_1 - s_2 \Phi_2) > 0$$

- (ii) E never takes over 2 with auction and 1 with bargaining

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 - Auctions discourage E from acquiring targets with stronger synergies ... but stronger synergies imply higher consumer surplus
- ⇒ **Takeovers by auction result in a (weakly) lower consumer surplus than takeovers by bargaining**

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Extensions

- 1 Generalized Nash bargaining [details](#)
- 2 Collusion among incumbents to block entry [details](#)
- 3 Small markets

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(n small and/or $c_2 \gg c_1$)
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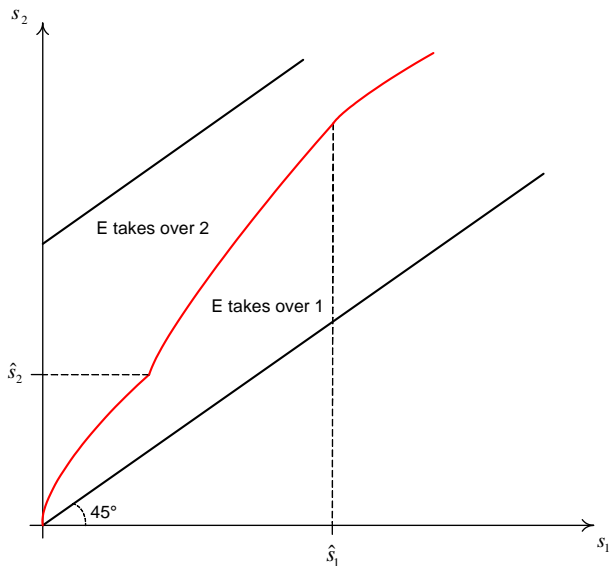
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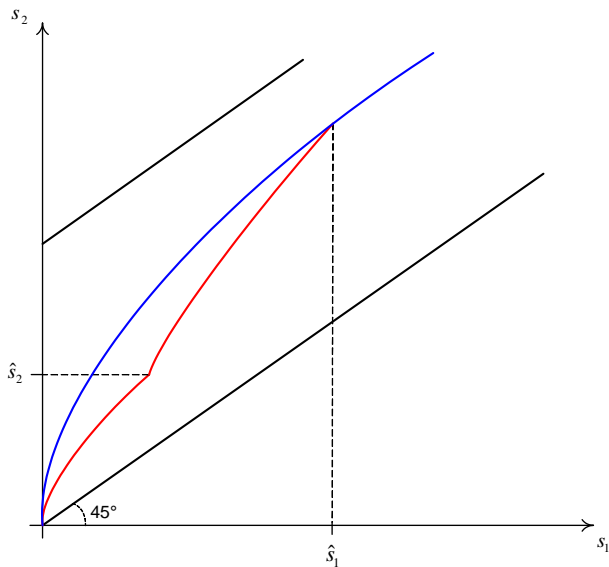
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- ⇒ E is more likely to take over firm 1
– i.e., even if it has lower synergy

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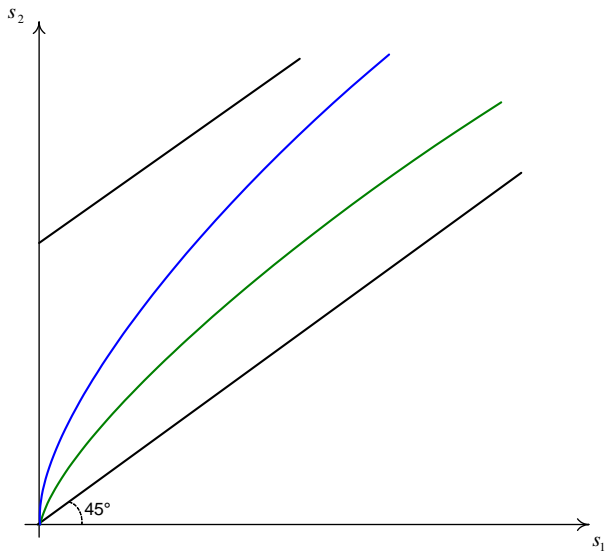
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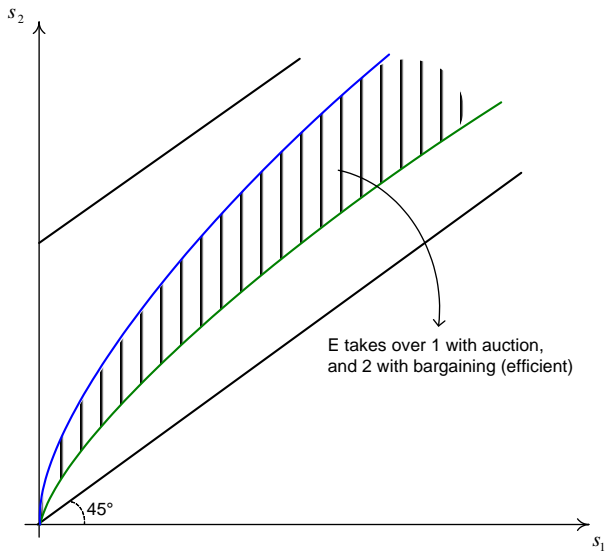
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- ⇒ Auctions are more likely to reduce consumer surplus

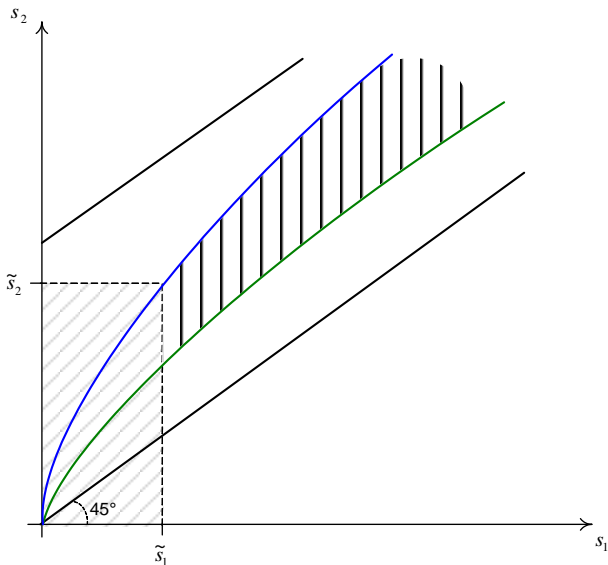
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$$\underbrace{\pi_n \left(c_i; \sum_{k \neq i} c_k \right)}_{r^i} + \beta \underbrace{\left[\pi_n \left(c_i - s_i; \sum_{k \neq i} c_k \right) - \pi_n \left(c_i; \sum_{k \neq i} c_k \right) \right]}_{\text{gains fro trade}}$$

and obtains

$$(1 - \beta) \left[\pi_n \left(c_i - s_i; \sum_{k \neq i} c_k \right) - \pi_n \left(c_i; \sum_{k \neq i} c_k \right) \right]$$

Generalized Nash Bargaining

- The entrant has bargaining power $(1 - \beta)$, where $\beta \in (0, 1)$
- Nash bargaining with disagreement points equal to current profits

⇒ To take over firm i , E pays

$$\underbrace{\pi_n \left(c_i; \sum_{k \neq i} c_k \right)}_{r^i} + \beta \underbrace{\left[\pi_n \left(c_i - s_i; \sum_{k \neq i} c_k \right) - \pi_n \left(c_i; \sum_{k \neq i} c_k \right) \right]}_{\text{gains from trade}}$$

and obtains

$$(1 - \beta) \left[\pi_n \left(c_i - s_i; \sum_{k \neq i} c_k \right) - \pi_n \left(c_i; \sum_{k \neq i} c_k \right) \right]$$

- Target choice as in our main model extensions

Collusion among Incumbents

